

# Search for Possible Neutrino Radiative Decay and Monte Carlo Simulations in Modern Physics

George C. Șerbănuț

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## Abstract

*Pursuing the idea of a possible radiative decay from neutrino mass damped oscillations, the experiment NOTTE searched for new limits on the lifetime of the heavy neutrino radiative decay. I will cover all the essential parts involving the above experiment: the theoretical and experimental approaches, expectations versus results and conclusions. The theoretical predictions for NOTTE were achieved through basic Monte Carlo simulations. To understand why a **basic** Monte Carlo simulation was used and considering the impact of the method in the modern physics, I will introduce the audience to general Monte Carlo simulations, from understanding its basic concept to the modern times development of the method, going through the main problems involving this method and their possible solutions.*

Now it's the time to flee!!! ;)

## Neutrino Oscillations Through Total Eclipse

### References and further reading...

1. S. Cecchini, D. Centomo, G. Giacomelli, R. Giacomelli, M. Giorgini, L. Patrizii, V. Popa, **C. G. Serbanut** - New Lower Limits on the Lifetime of Heavy Neutrino Radiative Decay (arxiv:0912.5086v1[hep-ex]): [http://arxiv.org/PS\\_cache/arxiv/pdf/0912/0912.5086v1.pdf](http://arxiv.org/PS_cache/arxiv/pdf/0912/0912.5086v1.pdf)
2. S. Cecchini, D. Centomo, G. Giacomelli, R. Giacomelli, V. Popa, **C. G. Serbanut** and R. Serra - Search for neutrino radiative decays during total solar eclipse (hep-ex/0402014v1: [http://arxiv.org/PS\\_cache/hep-ex/pdf/0402/0402014v1.pdf](http://arxiv.org/PS_cache/hep-ex/pdf/0402/0402014v1.pdf))
3. S. Cecchini, D. Centomo, G. Giacomelli, R. Giacomelli, V. Popa, **C. G. Serbanut** and R. Serra - Search for possible neutrino radiative decays during the 2001 total solar eclipse (hep-ex/0402008: <http://arxiv.org/pdf/hep-ex/0402008>)
4. S. Cecchini, D. Centomo, G. Giacomelli, V. Popa and **C. G. Serbanut** - Monte Carlo simulation of an experiment looking for radiative solar neutrino decays (hep-ph/0309107: <http://arxiv.org/pdf/hep-ph/0309107>)

# Neutrino Flavour Framework

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$$\{ \nu_e, \nu_\mu, \nu_\tau \} \longleftrightarrow \{ \nu_{m_1}, \nu_{m_2}, \nu_{m_3} \}$$

$$\nu_{l=e,\mu,\tau} = \sum_{j=1}^3 c_{lj} \nu_{m_j} \longleftrightarrow \nu_{m_{j=\overline{1,3}}} = \sum_{l=e,\mu,\tau} c'_{jl} \nu_l$$

$$M = m_{in}, \quad m = m_{out}, \quad \nu_j = \nu_{m_j}, \quad m_j > m_{j+1}$$

$$\Delta m_{1(2)3}^2 = 2.5 \times 10^{-3} eV^2$$

$$\sin^2 \theta_{(3|2)1} \simeq 0.1$$

$$\Delta m_{23}^2 = 6 \times 10^{-5} eV^2$$

$$\sin^2 \theta_{32} \simeq 0.74$$

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$$\{\nu_e, \nu_\mu, \nu_\tau\} \longrightarrow \{\nu_{m_1}, \nu_{m_2}, \nu_{m_3}\}$$

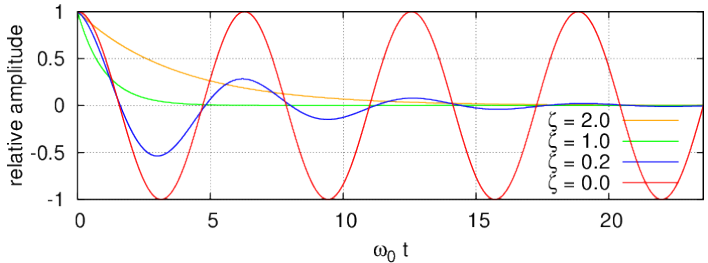
$$\nu_{l=e, \mu, \tau} = \sum_{j=1}^3 c_{lj} \nu_{m_j} \longleftrightarrow \nu_{m_j=\overline{1,3}} = \sum_{l=e, \mu, \tau} c'_{jl} \nu_l$$

$$M = m_{in}, \quad m = m_{out}, \quad \nu_j = \nu_{m_j}, \quad m_j > m_{j+1}$$

$$\Delta m_{1(2)3}^2 = 2.5 \times 10^{-3} eV^2$$
$$\sin^2 \theta_{(3)21} \simeq 0.1$$

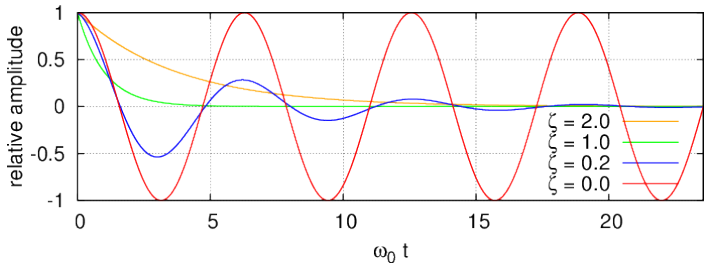
$$\Delta m_{23}^2 = 6 \times 10^{-5} eV^2$$
$$\sin^2 \theta_{32} \simeq 0.74$$

# Neutrino Decay: Damped Oscillations



$$\ddot{x} + 2\zeta\omega_0\dot{x} + \omega_0x = 0$$

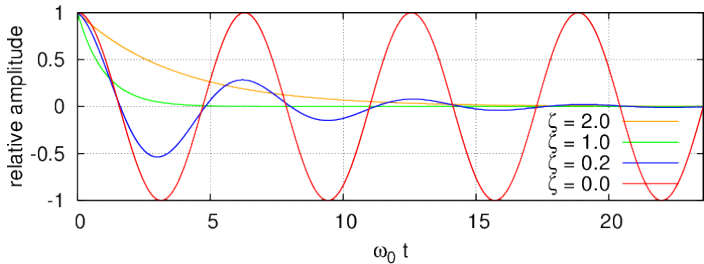
# Neutrino Decay: Damped Oscillations



$$\ddot{x} + 2\zeta\omega_0\dot{x} + \omega_0x = 0$$

$$\text{a way to interpret: } E_1 - W = E_2 \Rightarrow E_1 = E_2 + W$$

# Neutrino Decay: Damped Oscillations



$$\ddot{x} + 2\zeta\omega_0\dot{x} + \omega_0x = 0$$

a way to interpret:  $E_1 - W = E_2 \Rightarrow E_1 = E_2 + W$

neutrino decay:  $\nu_{in} \rightarrow \nu_{out} + \gamma$

$$|\nu(x)\rangle = \sum_{i=1}^3 k_i |\nu_i(x)\rangle \longrightarrow |\nu(x)\rangle = \sum_{\substack{i=1 \\ i \neq in}}^3 k'_i |\nu_i(x)\rangle$$



# Neutrino Decay: Kinematics

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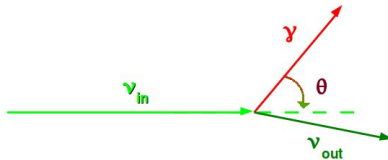
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$$\nu_{in} \rightarrow \nu_{out} + \gamma$$

$$\text{t-channel: } E_{out}^2 - \vec{p}_{out}^2 = (E_{in} - E_{\gamma})^2 - (\vec{p}_{in} - \vec{p}_{\gamma})^2$$

$$E_{out}^2 - \vec{p}_{out}^2 = E_{in}^2 - \vec{p}_{in}^2 + E_{\gamma}^2 - \vec{p}_{\gamma}^2 - 2 \cdot E_{in} \cdot E_{\gamma} + 2 \cdot \vec{p}_{in} \cdot \vec{p}_{\gamma}$$

$$E^2 - \vec{p}^2 = m^2; \quad m_{\gamma} = 0; \quad \vec{p}_{in} \cdot \vec{p}_{\gamma} = |\vec{p}_{in}| \cdot |\vec{p}_{\gamma}| \cdot \cos \theta$$

$$m^2 = M^2 - 2 \cdot E_{in} \cdot E_{\gamma} + 2 \cdot |\vec{p}_{in}| \cdot E_{\gamma} \cdot \cos \theta$$

$$2 \cdot E_{\gamma} \cdot (E_{in} - |\vec{p}_{in}| \cos \theta) = M^2 - m^2$$

$$E_{\gamma} = \frac{\Delta m^2}{2} \frac{1}{E_{in} - |\vec{p}_{in}| \cos \theta}$$

# Neutrino Decay: Dynamics

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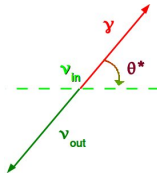
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$$\nu_{in} \rightarrow \nu_{out} + \gamma$$

$$\tau = 1/\Gamma$$

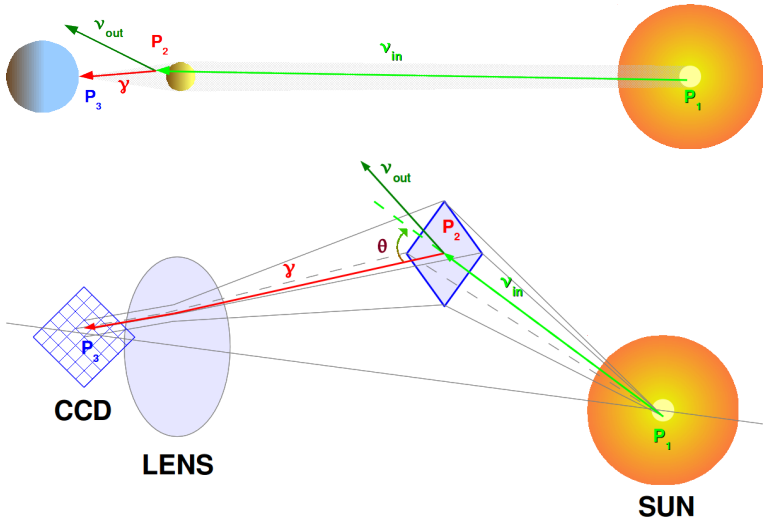
definition: 
$$\frac{d\Gamma}{d(\cos \theta^*)} = \frac{\text{final states combinatorial factor}}{2} \cdot \frac{\text{decay amplitude}}{M}$$

⋮

$$\frac{d\Gamma}{d(\cos \theta^*)} = \frac{\alpha_e^2}{\pi^2} \left[ \frac{M}{(\Delta m^2)^3} (m^2 + M^2 + m \cdot M) \right] (1 + \alpha \cdot \cos \theta^*)$$

# NOTTE Geometry Model

Legend:  $\theta$  = azimuthal angle



# Standard Solar Model

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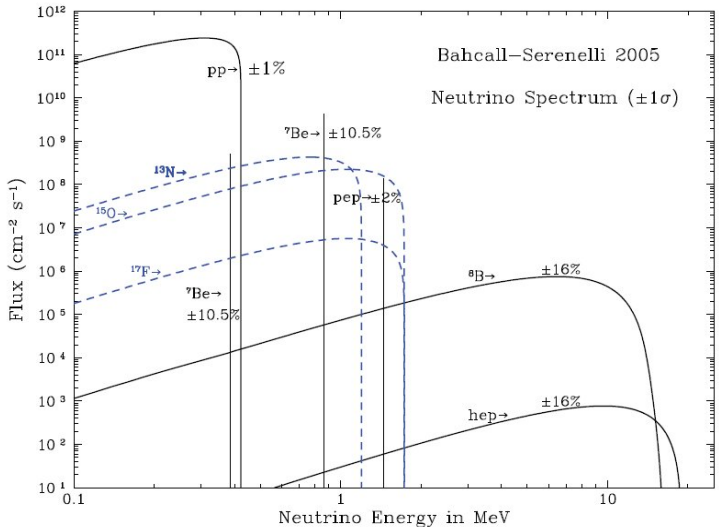
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# NOTTE Monte Carlo Simulation: Event Geometry

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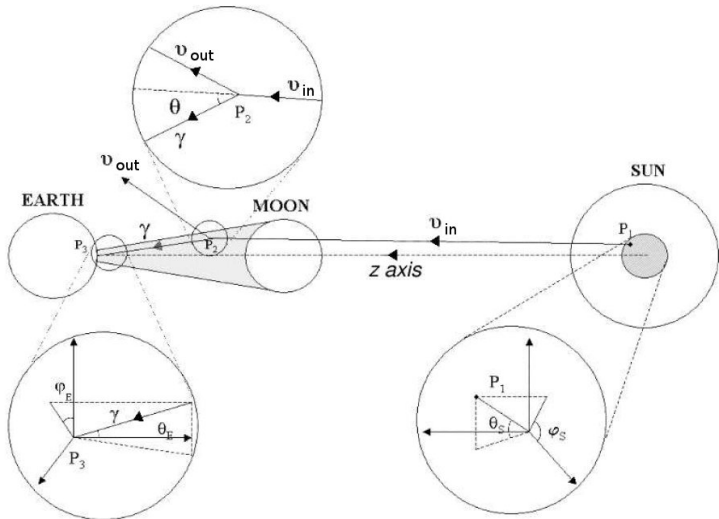
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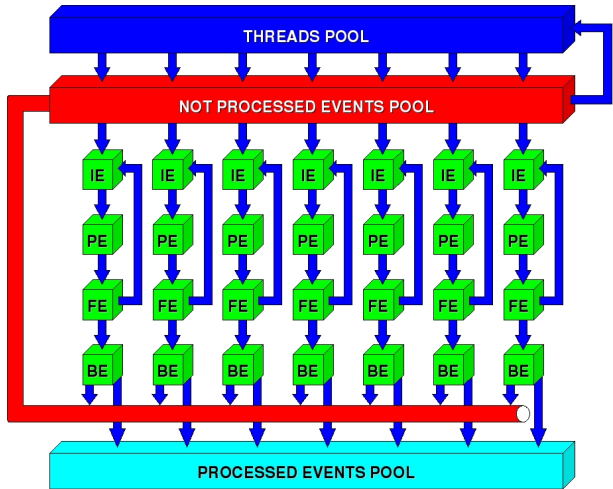
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# NOTTE Monte Carlo Simulation: Dataflow

IE - initializing the event; PE - processing the event; FE - finalizing the event; BE - buffering the event



# NOTTE Monte Carlo Simulation: Tests and Expected Signal

**Legend:**  $\theta_E$  = azimuthal angle from Earth

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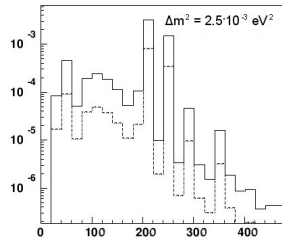
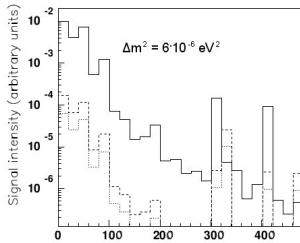
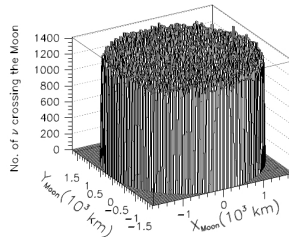
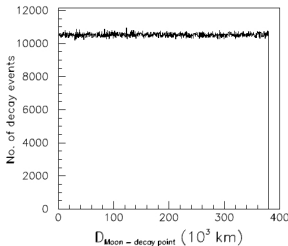
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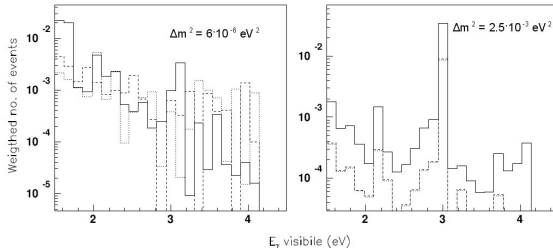
$\theta_E$  (arcsec.)

# NOTTE Monte Carlo Simulation: Expected Photon Energy

**Legend:** continuous line:  $m = 0.001\text{eV}$ ; dashed line:  $m = 0.01\text{eV}$ ; dotted line:  $m = 0.1\text{eV}$

$$E_\gamma = \frac{\Delta m^2}{2} \frac{1}{E_{in} - |\vec{p}_{in}| \cos \theta}$$

where  $E_\gamma$  is the photon energy,  $\Delta m^2$  is the neutrino squared mass difference,  $E_{in}$  is the energy of the incoming neutrino,  $\vec{p}_{in}$  is the three-dimensional momentum for the incoming neutrino and  $\theta$  is the azimuthal angle.





# Total Solar Eclipse 2001: Experimental Setup

TSE: duration = 3.5 minutes, location = Zambia

Legend: ADU = Acquisition Digital Unit

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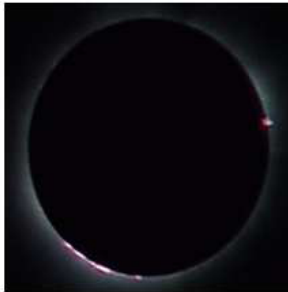
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(a)



(b)

- (a) Digital videocamera:  $10\times (+2\times)$  optical zoom, 1 pixel =  $10''\times 10''$ , 4149 frames, 1 ADU =  $7.3\times 10^4$  photons;
- (b) A small Matsukov - Cassegrain telescope (coupled to a digital camera):  $\phi = 90$  mm,  $f = 1250$  mm, 1 pixel =  $1.14''\times 1.14''$ , 10 pictures, 1 ADU =  $8.9\times 10^2$  photons.

# Total Solar Eclipse 2001: Expected Probability Density

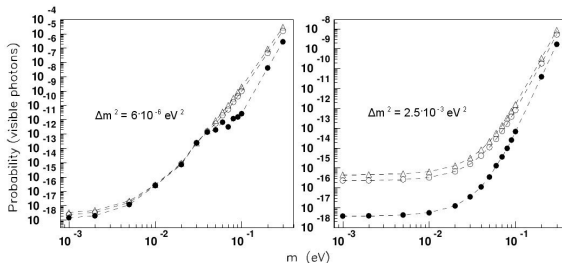
**Legend:** light triangles:  $\alpha = -1$ ; light circles:  $\alpha = 0$ ; dark circles:  $\alpha = +1$

$$\frac{d\Gamma}{d(\cos \theta^*)} = K (1 + \alpha \cdot \cos \theta^*)$$

where  $\alpha$  depends on the incoming neutrino chirality (0 for Majorana particle,  $\mp 1$  for *left* and *right* projections for the Dirac particle),  $\theta^*$  is the CM value of the azimuthal angle and the constant

$$K = \frac{\alpha_e^2}{\pi^2} \frac{M}{(\Delta m^2)^3} (M^2 + m^2 + M \cdot m)$$

with  $\alpha_e^2$  the electromagnetic constant and  $M$ ,  $m$  the incoming and outgoing, respectively, neutrino masses.



# Total Solar Eclipse 2001: Lifetime Lower Limit

Large Mixing Angle:  $\sin^2 \theta_{32} = 0.74$ ;  $\Delta m^2 = 6 \times 10^{-5} \text{ eV}^2$

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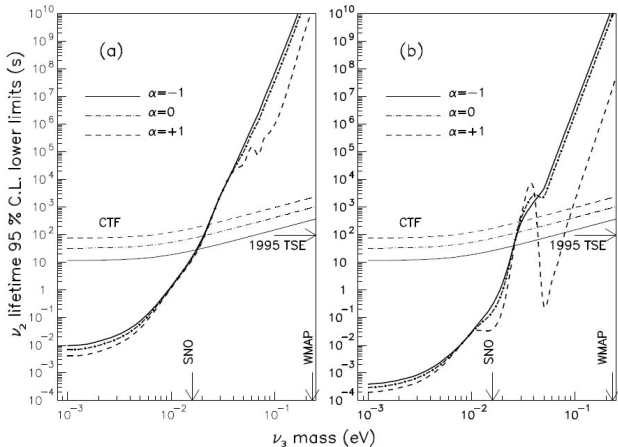
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# Total Solar Eclipse 2001: Lifetime Lower Limit

Small Mixing Angle:  $\sin^2 \theta_{31} \simeq 0.1$ ;  $\Delta m^2 = 2.5 \times 10^{-3} \text{ eV}^2$

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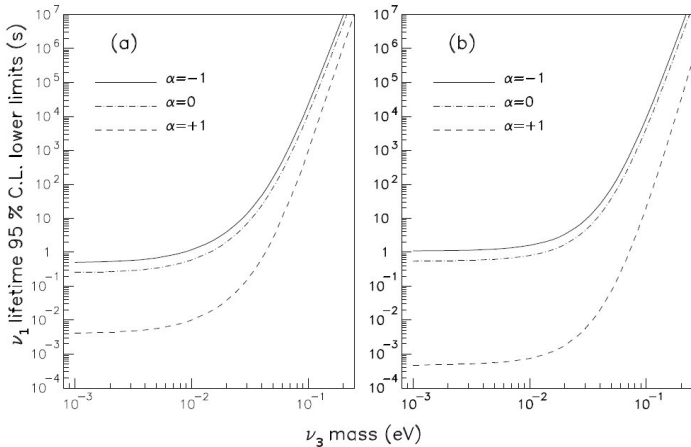
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# Total Solar Eclipse 2006: Experimental Setup

**TSE:** duration < 2 minutes, location = Lybian Sahara desert

**Legend:** ADU = Acquisition Digital Unit; 1 frame =  $256 \times 256$  squared pixels

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**legend:** LH image = example of frame, RH image = integrated luminosity for all frames;

**main:** A Matsukov - Cassegrain telescope (coupled to a 16 bits Mx916 CCD camera):  $\phi = 235$  mm,  $f = 2350$  mm, 1 pixel =  $1.99'' \times 1.95''$ , 195 (out of 212) pictures, 1 ADU =  $6.1 \pm 0.1$  photons;

**backup:** Digital videocamera:  $10 \times (+2 \times)$  optical zoom, 1 pixel =  $10'' \times 10''$ , 2370 frames, 1 ADU =  $7.3 \times 10^4$  photons;

**backup:** A smaller Celestron C5 equipped with Canon 20D: 50 pictures.

# Total Solar Eclipse 2006: Expected Probability Density

Large Mixing Angle:  $\sin^2 \theta_{32} = 0.74$ ;  $\Delta m^2 = 6 \times 10^{-5} \text{ eV}^2$ ;

Small Mixing Angle:  $\sin^2 \theta_{31} \simeq 0.1$ ;  $\Delta m^2 = 2.5 \times 10^{-3} \text{ eV}^2$

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$$\frac{d\Gamma}{d(\cos \theta^*)} = K (1 + \alpha \cdot \cos \theta^*)$$

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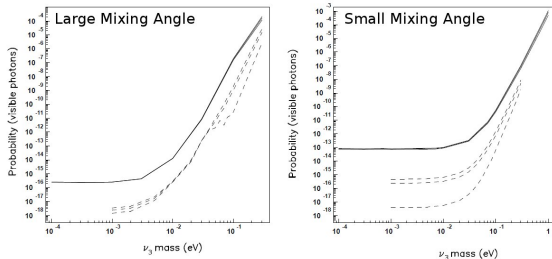
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where  $\alpha$  depends on the incoming neutrino chirality (0 for Majorana particle,  $\mp 1$  for *left* and *right* projections for the Dirac particle),  $\theta^*$  is the CM value of the azimuthal angle and the constant

$$K = \frac{\alpha_e^2}{\pi^2} \frac{M}{(\Delta m^2)^3} (M^2 + m^2 + M \cdot m)$$

with  $\alpha_e^2$  the electromagnetic constant and  $M$ ,  $m$  the incoming and outgoing, respectively, neutrino masses. In the figure, the data for TSE 2006 are with solid lines while the data for TSE 2001 are with dashed lines.



# Total Solar Eclipse 2006: Lifetime Lower Limit

Large Mixing Angle:  $\sin^2 \theta_{32} = 0.74$ ;  $\Delta m^2 = 6 \times 10^{-5} eV^2$

Small Mixing Angle:  $\sin^2 \theta_{31} \simeq 0.1$ ;  $\Delta m^2 = 2.5 \times 10^{-3} eV^2$

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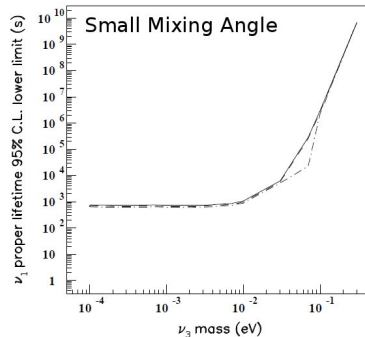
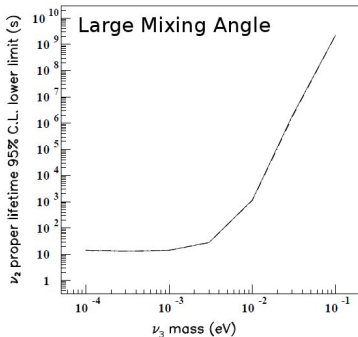
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1. We were able to provide only the lower limit for the heavy neutrino because no simulated signal was observed experimentally.
2. For SMA, the limits are estimative because the mixing angle was not known precisely at that time.
3. Even with a better resolution, the lack of a correct definition of ashen light might provide a too high noise.



## Monte Carlo Simulations

### The beginning...

- 1930 Enrico Fermi first experimented with the Monte Carlo method while studying neutron diffusion, but did not publish anything on it.
- 1946 At Los Alamos Scientific Laboratory, Stanislaw Ulam and John von Neumann were investigating radiation shielding and the distance that neutrons would likely travel through various materials. The name is a reference to the Monte Carlo Casino in Monaco where Ulam's uncle would borrow money to gamble.

# Monte Carlo Method By Example

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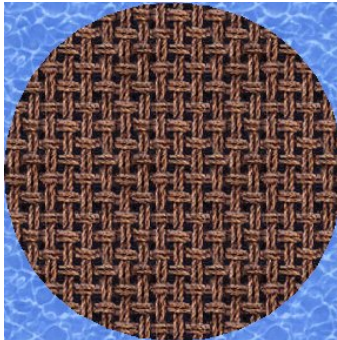
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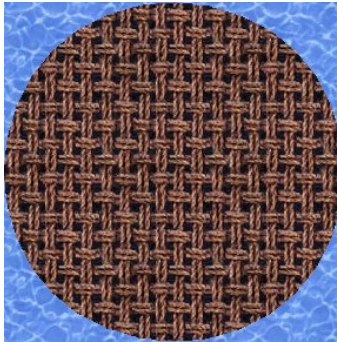
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$$\lim_{\text{high resolution}} \frac{\text{pixels in circle}}{\text{pixels in square}} = \frac{\text{area circle}}{\text{area square}} = \frac{\pi}{4}$$

# Monte Carlo Method: Student Approach

## Part 1: Monte Carlo at bar

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$\times 4$



$= \pi$



$+$



In case you are too good at aiming...

# Monte Carlo Method: Student Approach

Part 2: Recipe for a perfect randomness

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...the beer ensures perfect randomness! If it doesn't work from the  
first beer, try another... and another...

# Monte Carlo Method: Student Approach

Part 3: Piece of advice

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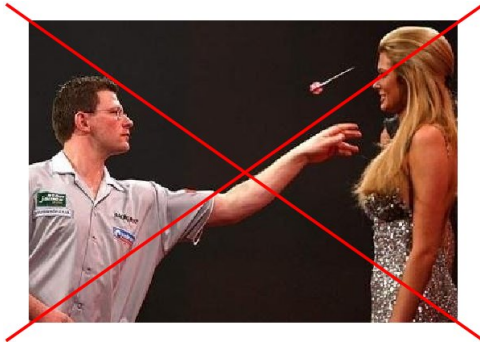
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Do not count the shots in your opponent/partner!!!

# Monte Carlo in Modern Physics

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# Monte Carlo Simulation in Modern Physics: Dataflow and Examples

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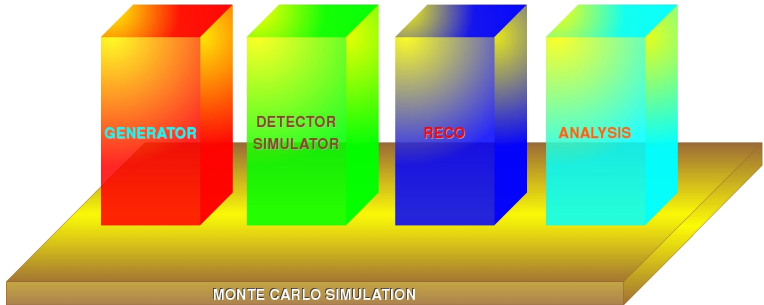
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**Generator:** Pythia  
**Detector Simulator:** Geant v.3, Geant v.4, Fluka  
**Reconstruction:** no generic reconstruction software  
**Analysis:** no generic analysis software

# Monte Carlo Simulations: Problems & Solutions

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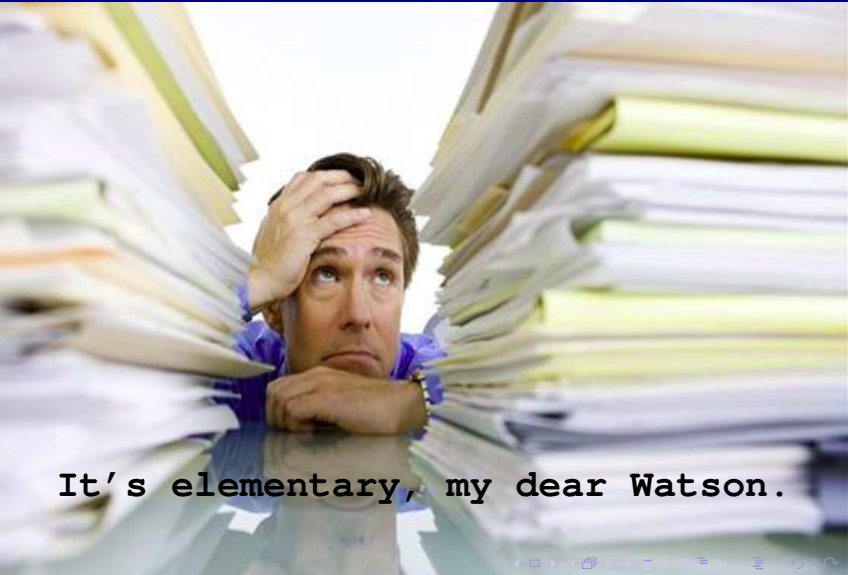
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**It's elementary, my dear Watson.**



# Monte Carlo Simulations: Problems & Solutions

## Random Number Generator

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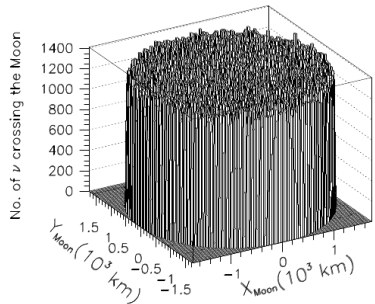
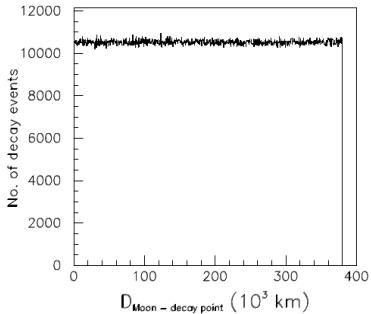
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Desired characteristics:

- large period;
- fast numerical computation;
- reproducibility.

Example: RANLUX (Lüscher's 24-bit lagged-fibonacci-with-skipping algorithm)

- period  $\simeq 10^{171}$ ;
- 200 - 1750 k ints/second, 150 - 850 k doubles/second;
- reproducibility based on seed.

# Monte Carlo Simulations: Problems & Solutions

## Distributions and Variables

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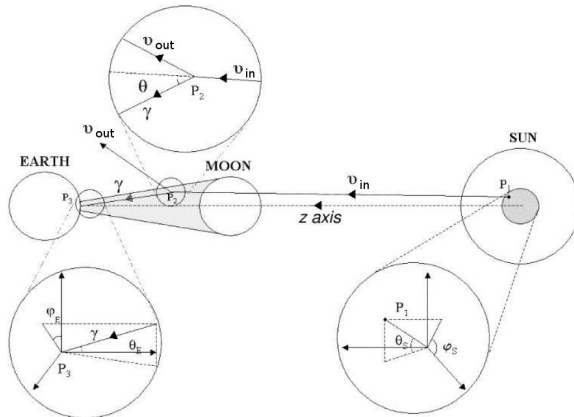
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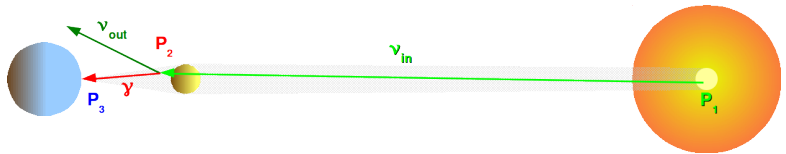
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$$\cos(\text{random}(\theta_E)) \neq \text{random}(\cos(\theta_E))$$

# Monte Carlo Simulations: Problems & Solutions

## Numerical Precision



$$\cos \theta = \frac{|\mathbf{P}_1\mathbf{P}_2|^2 + |\mathbf{P}_2\mathbf{P}_3|^2 - |\mathbf{P}_1\mathbf{P}_3|^2}{2 \cdot |\mathbf{P}_1\mathbf{P}_2| \cdot |\mathbf{P}_2\mathbf{P}_3|}$$

$$\{|\mathbf{P}_1\mathbf{P}_2|, |\mathbf{P}_2\mathbf{P}_3|, |\mathbf{P}_1\mathbf{P}_3|\} \rightarrow \{\vec{e}_{P_1P_2}, \vec{e}_{P_2P_3}, \vec{e}_{P_1P_3}\}, \{x_k, y_k, z_k\} = \vec{e}_{P_iP_j} \Big|_{i \neq j} = \frac{\overrightarrow{P_1P_2}}{|P_1P_2|}$$

$$\cos \theta = \frac{\vec{e}_1 \cdot \vec{e}_2}{|\vec{e}_1| \cdot |\vec{e}_2|} \implies \cos \theta = \mathbf{x}_1 \cdot \mathbf{x}_2 + \mathbf{y}_1 \cdot \mathbf{y}_2 + \mathbf{z}_1 \cdot \mathbf{z}_2 \quad (\in [0, 1])$$

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$$\left. \begin{aligned} E_\gamma &= \frac{\Delta m^2}{2} \frac{1}{E_{in} - |\vec{p}_{in}| \cos \theta} \\ \frac{|\vec{p}|}{E} &= \beta \end{aligned} \right\} \Rightarrow E_\gamma = \frac{\Delta m^2}{2 \cdot E_{in}} \frac{1}{1 - \beta_{in} \cdot \cos \theta}$$

$$\left. \begin{aligned} E_{in} \gg M &\Rightarrow \beta_{in} \simeq 1 \\ \theta \rightarrow 0 &\Rightarrow \cos \theta \simeq 1 \end{aligned} \right\} \Rightarrow \mathbf{E_\gamma \rightarrow \infty}$$

$$\mathbf{E_\gamma > E_{in} \parallel (\beta_{in} \cdot \cos \theta == 1)_{\text{precision}} \rightarrow E_\gamma = E_{in}}$$

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1. Use optimized software granulation.
2. Guard only sensitive variables.
3. Optimize the number of computations.
4. Use optimization algorithms (search, vector mapping etc).
5. Choose the right tool for your problem (programming language, database, available written software etc).
6. Buffer your data before starting the write-on-harddisk process.
7. Optimize threads usage.

*...and so on*

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1. Make your software flexible in parameters initialization.
1. Make your software platform quasi-independent (packing).
2. Optimize the number of parallel threads for multi-core multi-processor computing elements or for GPU's.
3. Optimize the number of instances on cluster/farm/grid and balance the load.



# Monte Carlo Simulations: Problems & Solutions

Boost Your Engine: MultiCORE Computing Element / GPU

”LOCK-FREE” & ”PULL” Methods

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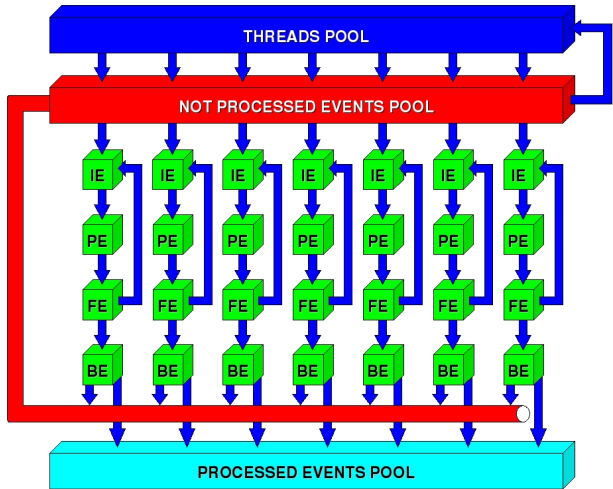
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# Monte Carlo Simulations: Problems & Solutions

Boost Your Engine: Farm and Centralized Cluster

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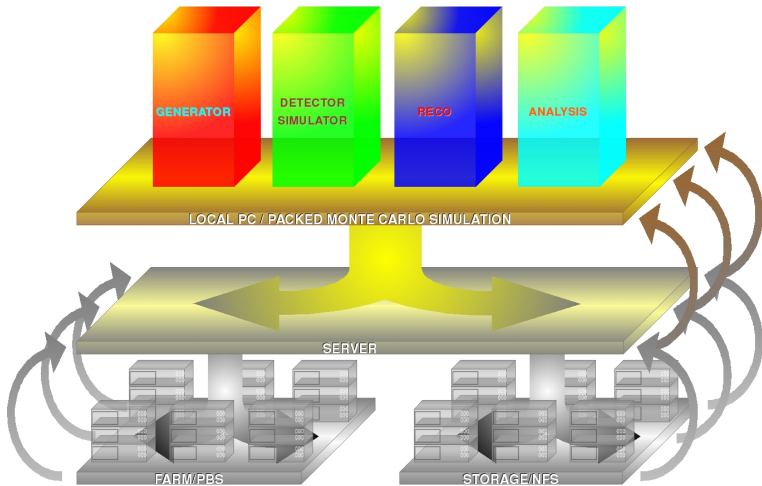
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# Monte Carlo Simulations: Problems & Solutions

## Boost Your Engine: GRID and Decentralized Cluster

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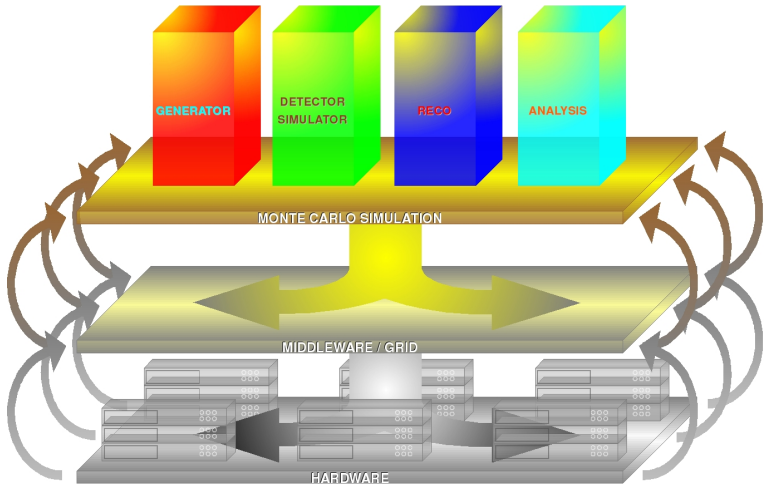
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# Monte Carlo Simulations: Conclusions

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*Research life without Monte Carlo method would be:*

1. *with less headaches,*
2. *more expensive,*
3. *too short,*
4. *much less fun.*

Thank you for your attention!

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